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What Role for 'Long-Term Insurance' in Adaptation? An analysis of the prospects for and pricing of multi-year insurance contracts

Trevor Maynard^{1,2} and Nicola Ranger³

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Abstract

Multi-year insurance has been proposed as a tool to incentivise policyholders to invest in property-level adaptation. In a world of rising natural catastrophe risks, such autonomous adaptations could have significant benefits for the property-owner, the insurer and society. We review the arguments for and against multi-year contracts and provide new analyses on their price implications. We conclude that even under conditions of known and stationary risk, initial capital requirements could be around 50% higher for a 10-year contract than an annual contract and the annual premium around 5.5% higher; in the real world of changing and uncertain risks, premiums would be even higher. We also conclude that multi-year contracts have several additional disadvantages that are likely to limit their demand and availability in the general retail insurance market. For adaptation, a preliminary analysis of existing evidence suggests that other tools, such as risk-based premiums and loans for adaptation tied to the property, have greater potential.

I. Introduction

Over the past three decades, global economic losses from weather-related events have increased at a rate of US\$2.7 billion per year in real terms; that is, a tripling of annual damages over the period (Neumayer and Barthel, 2011). Several studies have shown that this increase has been mainly driven by an increasing exposure to disasters (e.g. Neumayer and Barthel, 2011 global analyses and Pielke and Landsea 1998 for US hurricane losses); driven by population growth, increased wealth and an accumulation of people and assets in regions more exposed to weather catastrophes. These trends are expected to continue in the future, but also be aggravated by an increase the intensity of weather events globally (on average) as a result of manmade climate change (IPCC 2007). Some past authors have described the confluence of these pressures as a "new era of catastrophes" (Kunreuther et al. 2009a).

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Managing risks from natural disasters in a world of increasing population, wealth and climate change will require greater action to reduce vulnerability at the local level. This includes better managing exposure to natural hazards, through urban and land-use planning, as well as enhancing societal resilience and resistance and reducing individual vulnerability. In many hazard-prone regions, there is evidence that property owners under invest in property-level risk reduction measures (Cabinet Office, 2008; Kunreuther 1996; Kunreuther *et al.* 1978). In a world of rising levels of risk from natural hazards, closing this investment gap would have significant benefits not only for property owners, but also insurers and society as a whole. This paper discusses the use of insurance as an economic instrument to incentivise autonomous adaptation. Previous authors have suggested that insurance can be a powerful tool in this respect as the price and availability of insurance communicates a signal of the level of risk to the insured (e.g. Kunreuther *et al.* 2009; Geneva Association, 2009; Herweijer *et al.* 2009; Maynard, 2008; Ward *et al.* 2008). In principle this should encourage the insured to take cost-effective measures to reduce risk.

A number of authors have demonstrated that the insurance industry itself can benefit from doing more to incentivise risk reduction. Unhindered, climate change and an increased concentration of insured assets in exposed regions are likely to increase the correlation and volatility of losses to levels that could have profound effects on the insurability of natural hazard risks and the affordability of insurance (e.g. CII, 2009; Herweijer *et al.* 2009; Lloyds of London 2006; Mills 2005). The consequent public and political discontent could have knock-on effects for other lines of business, as observed, for example, in the Florida insurance market (Grace and Klein, 2009).

There are several ways in which the insurance industry can help bring about improved individual and societal risk management (Herweijer *et al.* 2009; Ward *et al.* 2008). This paper focuses on the arguments for and against one proposed insurance tool, the introduction of multi-year insurance contracts alongside risk-based insurance pricing (Kunreuther *et al.* 2009a; Jaffee *et al.* 2008). It has been suggested that multi-year contracts, otherwise known as "long-term insurance", which provide a guaranteed price (or guaranteed ceiling and floor price) over a term from 3 to as much as 25-years, could have significant benefits for adaptation by providing greater incentives for the insured to invest in cost-effective property-level resistance and resilience measures.

While multi-year contracts are not unheard-of in the insurance market today, particularly in commercial insurance lines and for high net-wealth individuals, they are rare in the majority of general

retail insurance markets (Goss and O'Neill, 2010). Where they do exist in the commercial and high net-wealth markets, the policy term is typically no more than 3 years.

In the following sections, we review the arguments for and against multi-year insurance contracts from different perspectives. Section II examines the case for multi-year insurance contracts given in the academic literature. Section III provides new quantitative analyses on the implications for the technical price of insurance. Sections IV and V consider the broader issues of practicality and trade-offs. The paper focuses exclusively on P&C insurance contracts and mainly general retail insurance provided by the private insurance sector. Applications to the commercial market and public insurance providers are discussed in Section VI.

II. The case for multi-year contracts

Kunreuther (1996) identifies a number of important barriers to individual action to reduce risk at the property-level: financial constraints (upfront costs); lack of information or poor use of information in decision making; a perception that the government will provide support in the event of a disaster; unawareness or misperception of the true risk faced; and other behavioural issues, in particular short-termism¹. Kunreuther *et al.* 2009 suggest that risk-based insurance premiums can be an important tool to help overcome these barriers. The premise is that if the premium reflected the level of risk, and the insurer accordingly offered a risk-appropriate discount to homeowners who invest in loss reduction, this would provide an economic incentive to a property owner to reduce risk to the cost-effective level². Similarly, an individual moving into a high risk area would be more aware of the risk and could act accordingly. However, in the real world, the price of a contract rarely reflects the true level of risk, particularly in the case of homeowner (or general retail) insurance.

In practice, even with risk-based premiums in place, this economic incentive is not sufficient to overcome all of the observed barriers to action. For example, the technical premium reduction with risk reduction is often quite small compared with the upfront cost of the mitigation measure (Kunreuther 2005) and therefore, the economic incentive is relatively weak. In addition, Goss and O'Neill (2010) suggest that the incentive is further weakened because risk reduction investments do not tend to be reflected in property values, meaning that the benefit is lost if the individual sells the

¹ Studies have shown that individuals tend to focus on the returns only over the next couple of years. There is also evidence to suggest that temporally distant pay-offs are disproportionally discounted relative to immediate ones (e.g. see Kunreuther and Michel-Kerjan 2009 and references therein).

² To illustrate this, consider a simplified example. Assume that a homeowner's insurance premium is priced at \$100 per annum, equal to the level of average annual loss. Then if the homeowner could invest in a risk reduction measure at a cost of \$200 that would reduce the AAL to her property by 25%, the investment would pay back after 8 years.

property. Kunreuther *et al.* 2009 make several recommendations that aim to help overcome these barriers. For example, they suggest that loans should be provided to property-owners (from public schemes or other initiatives) to help spread the upfront investment costs over time (overcoming the financial barrier); if the annual rate of repayment were smaller than the annual insurance premium discount gained as a result then the property-owner would see an immediate financial benefit from the investment and so a strong incentive to take action. Further, if loans were tied to the property, rather than the individual, this would overcome the disincentive created by the prospect of moving house.

Kunreuther *et al.* 2009 argue that this strategy works only if the property-owner could be assured that the insurer would continue to provide the premium discount. Hence, they recommend the use of a multi-year insurance contract with a guaranteed price and discount. They argue that the multi-year contract, with transparent pricing, could also strengthen the economic incentive by making the benefits of the investment in risk reduction more visible upfront³. Additional benefits of a multi-year contract given by Kunreuther and Michel Kerjan (2009) include:

- A multi-year contract at a guaranteed price (or alternatively, a price with pre-defined ceiling and floor) provides financial certainty for the policyholder and a guarantee of insurance coverage over the policy term.
- Multi-year contracts could decrease the transaction or search costs to policyholders in a case
 where annual policies are not renewed by their insurer (though search costs may increase per
 policy as multi-year contracts mean more complex decisions).
- Multi-year contracts could reduce administrative costs for the insurer and increase certainty by reducing the turnover of customers.
- Multi-year contracts could encourage a higher degree of insurance coverage across society
 with benefits to individuals and society as a whole. For example, in some markets,
 policyholders tend to cancel or not renew contracts if no losses have occurred and this can
 leave them, and society, more exposed when an event occurs.

Goss and O'Neill (2010) suggest that multi-year contracts could also increase the incentive for the insurer itself to invest in improving the resistance and resilience of its insured properties. Today, insurers have little incentive to reinstate a property in a more resilient and resistant manner as this tends to be more expensive and is not guaranteed to benefit the insurer as the policyholder may switch to another insurer (Boyer and Gobert, 2008). A more long-term relationship between the insurer and

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³ For example, rather than a \$35 premium discount each year in an annual contract, which seems small compared to an upfront investment of \$250, the insured would see a guaranteed \$350 total premium discount over a 10-year contract.

policyholder would help to alleviate this barrier by allowing the insurer to offset the investment costs against future reductions in losses to the property⁴.

III. Price Implications

The annual premium of a multi-year contract would likely be greater than the premium of an equivalent annual contract. Firstly, the capital requirements and return on capital demanded by investors would be higher. Secondly, uncertainty and ambiguity is greater. Thirdly, we would expect the expenses associated with the contract to change. In this section, we present a new analysis of the impacts of the capital loading on the premium for a multi-year contract and draw on past studies to discuss expenses and the impact of uncertainty on the premium.

III.1 Capital loading under conditions of known and stationary risk

The formula to calculate the premium of an insurance contract can be expressed as Eqn. 1, where P is the annual premium, E(C) is the annual expected value of claims, E(X) is the annual expected value of expenses and $\alpha \cdot K$ represents the *capital loading*, where K is the capital requirement and α is the annual return on capital demanded by shareholders.

$$P = E(C) + E(X) + \alpha \cdot K \tag{1}$$

To explore the impacts of the length of the policy term of the premium we determine P via stochastic simulation of claims, expenses and an investment process. The method is detailed in Appendix A and assumes that the risk is stationary and known. We impose the condition that the insurer must remain solvent (i.e. premiums plus capital must exceed claims plus expenses) at all times with 99.5% probability (i.e. a 1-in-200 year continuous solvency condition).

Figure 1 shows the resulting annual premium for a multi-year contract as a function of the length of the policy term, from one to ten years. The annual premium is shown for two cases: for a constant value of α (set at 10%) and for a value of α that increases with the policy duration (from 10% for a one year contract to 12% for a ten year contract). We suggest that the second case is more realistic as shareholders will demand a higher return on capital for a longer guarantee period. In both

⁴ The viability of this decision would depend on the case. It is likely that the contract would need to be much longer than 5 years to offset the investment costs. Goss and O'Neill (2010) suggest that the premium would need to be much higher than for a contract without resilient reinstatement (e.g. perhaps 40% higher for a 5-year flood insurance contract on a high risk property and greater for a lower risk property).

cases, the annual premium is shown to increase with the duration of the policy. Figure 1 shows the reason for this increase is that the capital requirement increases with a longer policy term; K is more than 50% higher for a 10-year contract than an annual contract. The annual premium is around 5.5% higher for a 10 year contract for increasing α .

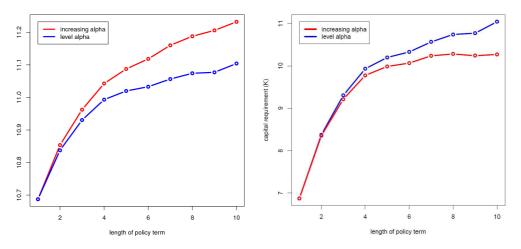


Figure 1: Annual premium (left) and capital requirement (right) as a function of the length of the policy term for a multi-year insurance contract.

If the solvency condition is relaxed such that solvency is assessed only at the end of the term, allowing insolvency in between, then this reduces the impact of policy duration on the premium (Figure 2). This case is equivalent to being able to raise additional capital at a floating rate equivalent to the yield on the asset mix of the company. This would not be realistic for a company in distress. With the more relaxed solvency condition, the annual premium plateaus at a duration of around 5 years and falls gradually beyond around 8 years. At the plateau, capital requirements remain around 30% higher than for an annual contract.

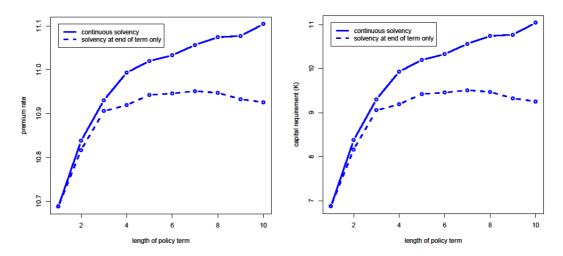


Figure 2: Annual premium (left) and capital requirement (right) as a function of the policy duration under conditions of continuous solvency (solid) and solvency at the end of the policy term (dashed) for constant α

Capital requirements are higher for a multi-year contract because the insurer must hold additional capital to cover the possibility that multiple claims are paid over the policy duration. This is illustrated in Figure 3, which shows a simplified simulation representing the ratio of the sum of the total premium income and investment return (ignoring profits) to the total claims and expenses paid, against time (in years)⁵. If no capital were held, a value less than 1 on the y-axis would imply that the insurer has become insolvent; that is, the sum of claims and expenses has exceeded accumulated premium income. The simulation is stochastic⁶; individual simulation runs are shown in grey and the 5th and 95th percentiles are bounded by red solid lines indicating a 'solvency envelope' where the solvency criteria is hypothetically set at a 95% Value at Risk. The further the envelope is below 1 the more capital a company would need to remain solvent with 95% confidence up to that term. The simulation demonstrates that the capital initially increases as the policy term increases and reaches a peak at around 2 to 3 years. The required capital then declines and becomes negligible after about 10 years, in this simple example.

This simple example can explain our findings in the more complex premium model under the condition of solvency at the end of the term (i.e. where claims can be paid from the total accumulated premium plus initial capital at the end of the term). It demonstrates that for shorter length contracts, around 2 to 5 years, there is a higher chance that total accumulated premium over the policy duration

⁵ this is effectively the inverse of the combined ratio with investment return

⁶ The process shown in Figure 3 is a simple geometric Brownian motion process defined by $X_t = e^{\mu + \sigma W_t}$ where $\mu = 0.04$, $\sigma = 0.05$ and W_t is a Weiner process with zero mean and unit variance.

is not adequate to pay claims and maintain solvency, and therefore, more capital must be held initially to ensure that the solvency condition is met. From Figure 3, the most rapid increases in capital requirements occur between year 1 and year 3. For a policy term of beyond around 8 to 10 years, the total premium accumulated over the policy duration is more than adequate to pay claims and maintain solvency with the required probability (95%), so the initial capitalisation can be reduced. We stress this simple example only tests solvency at the end of the policy term, where mid-term losses can be recouped from future premiums. Under the more conservative (and realistic) condition of continuous solvency (Figure 1) we do not observe a plateau and decline in capitalisation requirements because any claims must be covered by the premium accumulated up to the point of the claim plus initial capital, rather than the premium accumulated over the entire policy duration, so the initial capitalisation must be higher.

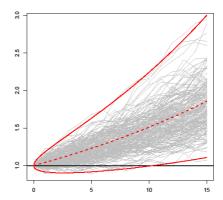


Figure 3: Stochastic simulation to illustrate the solvency process. The simulation represents the ratio of claims to the accumulated premium plus capital (y-axis) versus time in years (x-axis). The grey lines are individual simulations, the red dashed line shows the expected values and the solid red lines bound the 5th and 95th percentiles. Simulations with a y-value less than 1 can be interpreted as insolvent.

The simulations presented in this Section are for only one policy. In reality, a (re)insurer will be able to diversify risks across a broad portfolio of policies, lines of business and regions. However, we do not believe that this would change the fundamental conclusion of our simulation that the annual cost of a multi-year contract would be higher than an equivalent annual contract. Kreps (1990) suggests that the (re)insurer should require a rate of return on the marginal amount of capital required by the new policy. Where the new policy is correlated with the existing portfolio, our model is adequate. If the new policy were a new class of business or in a region that is not correlated with the

existing portfolio then the additional capital required may be smaller, but still greater than that for an equivalent annual contract.

III.2 Expenses associated with a multi-year contract

It is not clear how the longer policy term of a multi-year contract would affect the expenses of the contract; that is E(X) in Eqn. 1. The turnover of clients should be lower and therefore, marketing costs should be reduced. The administrative costs could be smaller as the contract is renewed less often; however, interviews with insurers reported in Goss and O'Neill (2010) suggest that this decrease will be marginal as insurers would still need to communicate annually with policyholders and regularly review risk levels. In addition, Goss and O'Neill suggest that providing multi-year insurance could entail a number of additional start-up costs that would need to be recouped through premiums and they argue that the sale of multi-year contracts would require greater interaction with the salesperson to appropriately assess risk, explain conditions and reduce the scope for mis-buying, increasing the administrative costs per policy.

III.3 The impact of uncertainty on premiums

The largest contribution to the increase in premiums for a multi-year contract is likely to come from the increased uncertainty in each of the elements of Eqn. 1 with the length of policy term. Kunreuther *et al.* 1995 demonstrates that the premium of any insurance contract will be higher under conditions of uncertain or ambiguous risks and Jaffee *et al.* (2008) demonstrate that an insurer's aversion to ambiguity increases significantly with the policy term. While the pricing of annual contracts will also be subject to uncertainty, it will be greater for a multi-year contract as risk and policy conditions may change over time in ways that are difficult to predict. Where the premium of a multi-year contract is guaranteed, an insurer would need to anticipate changing levels of risk and conditions and price these into the contract from the start.

There are several drivers of changes in risk over time. Aerts and Botzen (2011) explored two potential drivers, the impact of climate change and socioeconomic development. Their analysis focussed on the component E(C) of the premium for a multi-year contract, for the case of flood insurance in the Netherlands. They demonstrate that changes in risk could lead to significant, but uncertain, underestimate of E(C) of up to around 80% for a 5-year contract and 140% for a 15-year contract when compared with the stationary risk assumption. As uncertainty increases over time, the premium would be higher for a longer policy term. In addition, for a longer contract, there will be greater uncertainty over vulnerability (including policyholder or local government actions to reduce

vulnerability), repair costs, regulatory and legal⁷ regimes (which lead to higher than expected expenses or claims), taxation changes, and the price and availability of capital and reinsurance. These trends are difficult to anticipate and adequately price. Capital will need to be held against all these contingencies and the higher ambiguity over such long-term changes in risk and the conditions for insurance will mean that shareholders demand a high return on capital to compensate for the considerable risk. Each of these factors will increase the capital loading of the premium, making it greater than is suggested by our analysis with known and stationary risk.

IV. Disadvantages of multi-year contracts

IV.1 Higher premiums and lower flexibility for policyholders

The higher price of a multi-year contract (Section IV) means that for the policyholder there is an advantage of a shorter policy term. Indeed, in the survey carried out by the Association of British Insurers (ABI) in 2009, of the forty-three percent of respondents that were interested in multi-year contracts, 97% felt that the price of a multi-year contract should be less than or equal to that of an annual contract (Goss and O'Neill, 2010). The ABI survey found that many respondents were concerned about the possible disadvantages of multi-year contracts. The advantage of an annual contract for the policyholder is that it provides flexibility and choice; the option to renew or renegotiate a contract, or switch to an alternative insurer, to ensure that they get the best price and conditions for insurance. This must be weighed against the disadvantage that prices may fluctuate over time, as well as the potential higher search costs if a policy is cancelled by the insurer.

IV.2 Lower flexibility for the insurer and less efficient use of capital

For the insurer, a multi-year contract has the advantage of limiting turnover in policyholders, but also limits the ability of the insurer to renegotiate the contract or cancel in response to changing conditions or new information; this could mean greater liability, but also an increase moral hazard. In addition, the flexibility to raise premiums if necessary after a disaster is an important 'pressure valve' for the insurance markets. For the insurer it is an important way to rebuild their balance sheet⁸. Without this pressure value, more capital would need to be held in the first instance and premiums would need to be set higher. This not only implies a higher premium but also a less efficient use of

⁷ For example, court judgements sometimes re-interpret the risk landscape deciding that claims which were not thought to be covered by the insurance industry should be paid.

⁸ The reason for the premium increase after a disaster is that in these circumstances the availability of capital is often restricted and higher rates of return on capital are demanded from investors, increasing the cost of providing insurance coverage. The converse of this is that premium rates typically fall after a number of benign years.

capital and associated opportunity costs to the insurer⁹. In reality, the inability to rebuild the balance sheet in the event of a significant loss is likely to be seen by private insurers as a severe impediment to offering multi-year contracts. Goss and O'Neill also report concerns of the European Commission that multi-year contracts have historically hindered competition and created a barrier to new entrants in the market, increasing premium costs.

IV.3 Long-term guarantees and the risk of insolvency

In Section III.3 we assume that the insurer is able to adequately foresee changing risks and conditions and price this into the premium at the start of the contract. However, as history has shown, our ability to predict the future is limited. For the insurer, the likelihood and impact associated with mispricing a policy are larger than for an annual contract, where premiums can be adjusted each year in response to new information. In extreme cases, large-scale mispricing could lead to insolvency and on a smaller-scale a less efficient use of capital.

An example of this has already been played out in the UK life assurance industry. In the UK, life assurance companies write long-term business. We consider three of their products that offer considerable guarantees over the long-term: life annuities, pensions savings with guaranteed annuity rates, and with-profits policies (Table 1). In the 1970s, 80s and early 1990s when many of these policies were written, interest rates were often in the double figures, mortality rates were considerably higher and regulation was less onerous so expenses were lower. At the time insurers believed they were making good decisions, anticipating the risks, and pricing policies accordingly. However, this assumption proved to be false; interest rates have fallen considerably (from long-term rates of around 15% p.a. at the start of the 1990s to 0.5% p.a. in early 2011), mortality rates have gradually improved due to new medicines, changes in diet and a reduction in smoking (the UK Office of National Statistics estimates that over the past 30 years, age-standardised mortality rates have declined by 49 and 41 per cent for men and women, respectively), and regulation has tightened leading to greater expenses. When the guaranteed annuity rates started to bite it cost the UK life assurance industry tens of billions of pounds to set up the required realistic reserves and this was one of the drivers of the financial difficulties suffered by the firm, Equitable Life, the UK's oldest life assurance company.

⁹ In the case of an under-pricing of contracts, the insurer would be forced to seek additional capital to cover liabilities at higher cost; whereas for over-pricing of contracts, the insurer would see an opportunity cost from holding too higher reserves. ¹⁰ Although some of the interest rate risk was reduced significantly with close matching of asset cash flows with those of liabilities there remained a material level of risk

Product	Description	Effective Guarantees
Life annuities	Provide regular payments until the	Interest rates until death
	death of the insured.	Average policyholder mortality
Pensions savings with	Provide a specific conversion rate	Spot interest rates years ahead
guaranteed annuity rates	from accumulated savings into annuity	Future expenses levels
	rates.	Mortality rates at retirement
With-profits policies	Companies offering these products	Investment market fluctuations
	take regular savings (or lump sums)	
	and invest them. The policyholder	
	receives a guarantee no drop in value	
	and guaranteed regular bonuses.	

Table 1: Long-term guarantees implied by three life assurance products

As in the life assurance case, a multi-year property insurance is effectively providing a guarantee against interest rate changes, capital market fluctuations, changes in expenses (e.g. due to regulation) and other regulatory changes. A multi-year policy with guaranteed premium has no opportunity to adapt to the changing nature of risk. Difficulties in anticipating the future, means it will be probable that polices are under or over-priced as a consequence. Arguably, anticipation of changing risk is even more complex for property insurance than it was for the UK life assurance market with the additional challenges of climate change, natural climate shifts, trends in exposure and shifting vulnerabilities to natural hazards. A more likely outcome is that in a competitive market and under uncertainty, insurers would tend to restrict policies to shorter durations¹¹.

Given these risks associated with fixed premiums, a multi-year contract with variable premium might be a more desirable prospect for the insurance industry (Goss and O'Neill, 2010; Aerts and Botzen, 2011). This would also help to reduce the price differential between annual and multi-year contracts and so make them more competitive on the market. Kunreuther *et al.* (2009) propose that prices be renegotiated over time based on new information, for example based on a regularly monitored risk index arbitrated by a third party. However, such a system would bring considerable technical challenges¹². We argue that allowing premia to adjust each year, even within a defined range,

¹² Aerts and Botzen (2011) highlight the difficulties in developing such a risk index for natural hazards, given gaps in data availability (e.g. up-to-date risk maps, reflecting changes in protective infrastructure) and the challenges in disentangling trends in risk from statistical noise (e.g. due to chaotic weather) and short-term risk variations (e.g. climate cycles, such as the

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¹¹ Jaffee *et al.* 2008 suggest that this problem for insurers may be lessened if reinsurers were to provide multi-year contracts. They give the example of catastrophe bonds which tend to have a maturity of around 3 years. However, it seems likely that reinsurers would face the same disadvantages and impediments to providing multi-year (re)insurance and so transferring the risks up the insurance chain would be unlikely to increase the feasibility of the concept.

removes some of the benefit of a multi-year contract, in particular, the financial stability created for the policyholder and the benefit of reduced administrative costs for the insurer. The option to vary the premium would likely need to be accompanied by a right to cancel, removing the security of the longterm relationship between the insurer and policyholder.

V. Practical challenges for adaptation

V.1. Challenges of risk-based Pricing and premium discounts

Without risk-based premiums, and associated premium discounts for risk reduction, multi-year contracts will not provide an appropriate incentive to reduce risk. However, risk-based premiums are rare in the general retail insurance market and this reflects a number of operational challenges. Firstly, in some markets, such as in a number of the US Gulf States, premiums are artificially suppressed by price regulation or subsidy programmes (Grace and Klein, 2009; Klein, 2008). Hence, the success of insurance pricing as an economic tool for adaptation relies on removing any regulation of the price of insurance (Kunreuther and Michel-Kerjan, 2009). However, although in aggregate insurers must cover their risks, even in markets with competitive pricing (e.g. most of Europe), premiums rarely reflect individual risk in all cases. There is a history of cross-subsidisation of premiums across regions and lines of business, as a result of a culture of solidarity, the nature of traditional bundling of different hazards in a contract, or as a commercial strategy to extend the market by increasing affordability. Where natural catastrophe risk is underpriced, insurers are understandably reluctant to offer discounts to those undertaking cost-effective risk reduction measures.

There are also technical barriers to risk-based pricing and premium discounts for risk reduction. The level of risk faced by a property is site- and building-specific, particularly for hazards such as flooding. In insurance pricing today, typically generalisations are made to local areas and types of buildings to approximate the level of risk. This is sufficient given that the risks (and therefore, uncertainties) are well diversified. However, to provide appropriate economic incentives, premiums would need to more accurately reflect risk and in particular, the reduction in risk associated with investments in property-level resistance and resilience. For this, the underwriting process would require a higher degree of information and the administrative costs of the policy would rise accordingly. A particular concern is the need for on-site verification of the level of protection. Regular validation would be required, perhaps by a third party, to confirm that protection measures were

El Nino Southern Oscillation). Indices would also need to reflect changes in broader conditions, such as the cost of capital and insured asset values.

present and adequately maintained. In a competitive market, such products could look unattractive compared to cheaper annual contracts¹³. From an insurer perspective, offering such policies would increase uncertainty in a portfolio, particularly in the early years until experience is gained.

V.2. Mismatch between payback periods and contract duration

To incentivise risk reduction, a longer contract (and tied to a long-term loan) is more beneficial as the payback period for property-level risk reduction through an insurance premium discount would be often in excess of five to 10 years. To give a simple example, a recent study found that replacing the wall plaster of a property with a water resistant material to improve flood resilience would cost around £2,900 (if installed during repair) and would have a payback of £3,400 in the event of an extreme flood (ABI, 2009). If we assume the probably of an extreme flood were around 1-in-10 (that is, a highly hazard-prone region) then this would amount to a reduction in the technical risk premium of around £340 per year; hence a payback period of 8.5 years. In a lower (but still high) risk region, where the probability of an extreme flood was 1 in 30 years, the payback period would be 25.5 years. To provide a strong incentive, the insurance contract would need to be at least as long as the payback period. But, empirical evidence suggests a limit on the term of a multi-year contract of around 5 years (Goss and O'Neill, 2010); historically multi-year insurance contracts have been enforceable under EU legal systems for up to five years, but not beyond (EC, 2007) and in its 2009 survey, the ABI found that of those consumers that expressed an interest in multi-year contracts, around 40% saw 3 years as the maximum desirable policy term and a further 40% gave 5 years. This suggests a mismatch between the payback period and the desirable duration of a multi-year contract; a shorter contract of around 3-5 years may have little advantage over an annual contract in terms of incentive.

VI. Discussion

The previous sections have demonstrated that multi-year contracts have a number of advantages for policyholders and insurers, but also several disadvantages, in particular, for the private insurer. In a competitive market, these disadvantages are likely to provide an impediment to insurers offering of multi-year contracts. The absence of multi-year contracts in the general retail insurance market today suggests that these disadvantages are seen as greater than the benefits of a longer-term relationship between the insurer and the insured.

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¹³ In the Florida Wind Mitigation Credit scheme, these problems were overcome by making premium discounts mandatory, providing an inspection scheme and regulating the level of price discounts. However, there are suggestions that this scheme has lead to distortions in the insurance market (RMS, 2010).

Kunreuther and Michel-Kerjan (2009) suggest that the wide availability of long-term mortgage contracts provides evidence for the viability of multi-year financial contracts for propertyowners. We argue that mortgages provide a poor comparison in this respect. Firstly, typically the repayment rate is floating, allowing the lender to associate rates to changing conditions. Where fixed rate deals are available this is usually with duration of not more than 5 years. In addition, mortgage risks generally decrease over time as the mortgage is repaid; the loan is secured on a property (providing a cushion where the house price exceeds the outstanding loan) with a value expected to increase on average each year; and for fixed rate deals, the lender can hedge their risk. For property insurance, the balance of evidence points toward an increase in risk over time, possibly including sudden jumps, and there is no cushion. Finally, as was demonstrated by the subprime mortgage crisis in 2008, the mortgage business can also yield unanticipated risks and lock-in significant liabilities for the provider. Looking more broadly, the wider financial markets rarely offer products with long-term guarantees and where they do so it is typically only where a counterparty can be found whose own concerns are negatively correlated. One example is put options in the investment market, which give the holder the right to sell an asset for a minimum value and so provide guarantee against market fluctuations. These contracts are often perceived to be expensive and are typically of short term.

Empirical evidence suggests that there may be greater opportunities for multi-year contracts in the commercial insurance business and for high net worth individuals. European Commission (2007) reports that while on average the duration of contracts in the commercial property insurance market was 12 months for EU member states, countries such as Slovenia, Austria, Italy and the Netherlands do have much longer average durations of between six and eight years. Goss and O'Neill (2010) report contracts for high net worth individuals of around 3 years.

Purely public insurance schemes, like the US National Flood Insurance Program (NFIP), may also have greater prospects for multi-year insurance (Michel-Kerjan and Kunreuther 2011). Public insurance schemes may have lower capital requirements and so the price differential compared with an annual contract could be lower. In addition, insolvency is less problematic as public schemes may be able to raise additional capital at low cost from taxation and therefore, the risk of future liabilities (e.g. resulting from long-term guarantees under uncertainty) are a smaller concern. In addition, a purely public insurance scheme is not subject to competitive forces on price and multi-year contracts could be offered as standard.

We suggest that a situation where the benefits of multi-year contracts for the private insurer could outweigh the disadvantages might be where there are predictable cycles in the level of risk, such as in regions where hazard levels are determined by the El Nino Southern Oscillation (Jerry Skees, pers. comm.). Where there is predictability, insurers could be at risk of adverse selection as the policyholder would buy insurance only when hazard levels are predicted to be high. A multi-year contract could remove this risk in such markets.

Kunreuther and Michel-Kerjan (2009) propose multi-year contracts as one of a package of policy and economic tools to incentivise risk reduction. We conclude that in general the proposals made by Kunreuther and Michel-Kerjan could have significant benefits for climate change adaptation; but that these benefits come not from the multi-year insurance contracts themselves, but from the associated tools associated with them, including: transparent and risk-based insurance pricing; inexpensive loans for risk reduction tied to the property; the reflection of risk reduction investments in property prices; the removal of the disincentive provided by the expectation of public aid; and improving the awareness of risk and the availability of information. We argue that these tools are more practical and can have much higher value for adaptation.

This set of tools goes well beyond what the insurance industry alone can provide. From this analysis, we conclude that the immediate challenge for the insurance industry then, with the greatest value for adaptation, is to provide transparent, risk-based premiums. The lack of risk-based premiums today is a disincentive for risk reduction. This is no easy task. In particular, there are considerable administrative and technical challenges for insurers in providing risk-appropriate premium discounts for property owners that invest in risk reduction. These challenges would be lessened in the commercial insurance business and insurance for high-net worth individuals; where administrative costs are typically a much smaller fraction of the total premium and so more significant investments can be made in accurate risk estimation. We suggest that to promote autonomous adaptation, a priority for the insurance industry is to explore methods and tools that would facilitate more accurate property-level estimation of risk at lower cost per policy.

VI. Conclusions

In this paper we have reviewed the arguments for and against multi-year contracts as a tool for adaptation and have provided new analyses on their price implications. Simple simulations demonstrate that, even under conditions of stationary and known risk, multi-year insurance policies are more expensive than annual policies. In our model, capital requirements are around 50% higher for

a 10-year contract than an annual contract and the annual premium around 5.5% higher. In the real world, additional factors, in particular the ambiguity involved in anticipating long-term risk, would push premiums even higher. In addition to higher prices, we conclude that multi-year contracts have a number of disadvantages that are likely to limit their availability in the general retail insurance market and by private insurers. In extreme cases, the long-term guarantees implied by multi-year contracts suggest a significant risk to the ongoing solvency of insurers. We do not find strong evidence that multi-year contracts alone could provide adequate incentives for risk reduction amongst property owners; further research and pilot projects would be required to demonstrate this advantage. Our preliminary assessment suggests that other tools, such as risk-based pricing and loans tied to the property, have much greater prospects for incentivising risk reduction. We conclude that the immediate challenge for the insurance industry then, with the greatest value for adaptation, is to provide transparent, risk-based premiums.

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Appendix A: Capital Requirements and Premium Model

This appendix describes the model for calculating the premium of a multi-year contract based on Kreps (1990).

The model framework

The model represents a stochastic claims process C, as well as an expenses process X and investment process S, where: C_j is the value of claims occurring in year j; X_j is the value of expenses occurring in year j; S_j is the annual return in investment, that is, the value of one currency unit, invested at the start of year j, at the end of year j (n.b. is not a cumulative return).

The pricing formula is given by Eqn. A.1, where K is the capital requirement for the policy and α represents the return on capital demanded by shareholders.

$$P_d = E(C) + E(X) + \alpha \cdot K \tag{A.1}$$

Eqn. 1 shows that the premium must be equal to the sum of the expected claims and expenses, plus a 'capital loading' to produce the required average return on capital for shareholders. To simplify the model, we assume that premiums are paid at the start of year j and the claims and expenses occur immediately afterward.

The stochastic model is used to estimate the capital requirement K based on a solvency condition that $K + P_d$ is sufficient to cover the total value claims and expenses over the duration of the policy with a 99.5% probability (i.e. for 199 out of 200 random draws from the distributions of claims C, expenses X and investment S). The solvency condition must be met in all years of the contract C (in practice it is measured at the end of each year in the model).

Under the formulation of the multi-year contract we are considering the company cannot change the premium rate during the contract term. This provides the policyholder a long-term guarantee of insurability, for a certain price, over the policy term. The shareholder must supply enough capital to

¹⁴ We note that the condition that 1-in-200 year solvency is maintained at all times is slightly different from Solvency II (which requires solvency from balance sheet to balance sheet), but we would not expect this alternative formulation to alter the conclusions.

ensure the level of protection falls no lower than 1 in 200 over the period of cover. This is to ensure a similar level of protection as a policyholder buying an annual premium. In the annual premium case there is a 1 in 200 risk of losing some money from insurer default each year. At the end of a year the policyholder purchases their next year of cover, in so doing they re-set the default risk to 1 in 200. Of course the premium might be purchased from a different insurer and they run the risk that the premium is higher if insurer's perception of risk levels have changed or the cost of capital has increased over the prior year. The fact that in the multi-year case the policyholder doesn't bear the premium rate risk but enjoys the same level of prudential protection is precisely why the premium is higher. The fact that shareholders must put up capital that (at least initially) is thought to be appropriate for the whole policy term, with no opportunity to increase premiums in the future, is precisely why the capital must be higher at the start.

We argue above that the policyholder should enjoy the same level of protection throughout the policy term as they would in a series of annual policies. This is one point of view and others are possible – in some settings an increasing probability of default as the term increases is thought acceptable. An alternative formulation would be to look at the new EU Solvency II approach where the insurer has to ensure they have enough capital to survive a series of deviations between balance sheets. Yet another approach could look at expected policyholder deficits. Whilst these may lead to differences in the absolute relationship between capital and premium and different premium levels, we do not believe it will change the overall conclusions, that premiums will be higher for multiyear policies. We may consider these alternative approaches in a future paper. However, we take some comfort that the approach in this paper is broadly equal to the approach of the UK regulator as regards liability policies where losses emerge over a multiyear period and firms are required to capitalise to ultimate levels of loss – not interim ones.

The model is set up as described below:

The "asset share" Q_n is equal to the accumulation, at the earned investment rate $S_{j,}$ of premium (given by Eqn. A.1) minus claims and expenses at the end of the contract, where n is the policy term:

$$Q_n = \sum_{i=1}^n \left\{ (E(C) + E(X) + \alpha \cdot K - C_i - X_i) * \prod_{j=i}^n S_j \right\}$$
 (A.2)

Here i is the time at which the cash flows occur and j is time in which investment return occurs after point i.

Equation A.2 implies that claims in a given year occur just after the premium is paid. In reality claims can occur at any time during the year. This approach is taken to simplify the formulae but will not materially change the conclusions. If, for example, claims were assumed to occur mid year on average then the premium formula would be amended by discounting the claim by half a year of investment return. As such the calculated premium would be slightly lower. The additional investment return this produces would flow through into the asset share – and this would also slightly reduce the capital required. The relationship between premium and capital would be very similar, hence we feel justified in keeping the equations simple.

Formula A.2 assumes that the cost of capital margin (αK) is reinvested until the policy matures. In practice (in periods of good claims experience) a portion of this may be considered "earned" an paid to shareholders in dividends. This would be more complex to model and would increase capital requirements still further as any removal of profits reduces the capital buffer. The point we wish to make is that capital requirements for multi-year policies would be significantly higher, we believe we have achieved this goal without the need to increase complexity.

We define Q_o to be to discounted value of Q_n at the start of the policy term (Eqn. A.3), so that Q_o is negative in cases where the claims and expenses exceed the premiums on average.

$$Q_0 = \frac{Q_n}{\prod_{j=1}^n S_j} \tag{A.3}$$

 Q_n and Q_0 are stochastic quantities. To meet the solvency condition the following must be true: $K + Q_o > 0$ in 199 out of 200 cases (i.e. random draws). From eqns. A.2 and A.3 this can be expressed as:

$$K > -\alpha \cdot K \cdot \ddot{a}(n, S) - \sum_{i=1}^{n} \{ (E(C) + E(X) - C_i - X_i) * v(i-1, S) \}$$

Where $v(i-1,S) = \prod_{j=i}^{n} S_j / \prod_{j=1}^{n} S_j$, the simulation-specific discount factor and $\ddot{a}(n,S) = \sum_{j=1}^{n} v(j-1,S)$, the simulation-specific annuity factor. This equation can be rearranged to give:

$$K > \frac{-\sum_{i=1}^{n} \left\{ (E(C) + E(X) - C_i - X_i) * v(i-1,S) \right\}}{1 + \alpha \cdot \ddot{a}(n,S)}$$
(A.4)

Given this formula, the value is K is estimated by simulation. To find the 1-in-200 year solvency level, we could run 10,000 simulations and select the value of K that is the 50th highest. However, this does not ensure continuous solvency, only that the condition is met at the end of the contract period. A closer approximation to continuous solvency is achieved by the following:

We denote the RHS of Eqn. A.4 as f(C, X, S, n) and then define:

$$g(C, X, S, n) := \max_{i=1}^{n} f(C, X, S, i)$$

Then in each simulation, we calculate g(C, X, S, n) and select the value of K so that it exceeds g in all but the worst 1 out of 200 cases.

Parameters of the stochastic simulation

We assume a stationary risk scenario (i.e. no climate change or other trends such as claims inflation), with the three stochastic processes represented by distributions outlined in Table A.1. Under this scenario, a sequence of annual policies would have the same premium each year.

Table A.1. Definition of stochastic variables in the example

Process	Mathematical Definition	
Claims (C)	Lognormal distribution with mean 9 and variance 5	
Expenses (X)	Gamma distribution with mean 1 and variance 0.25	
Investments (S)	Exponential Brownian motion process with drift 0.04 and volatility 0.03	

Sensitivity tests are also carried out by adjusting the variance (between 3 and 7) and form (lognormal, gamma and pareto) of the claims distribution. We find that adjusting the claims distribution changes the premium but does not change the relationship between the premium and the policy term (Figure A.1).

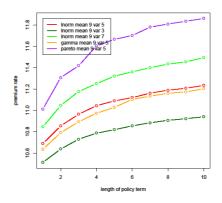


Figure A.1. The simulated relationship between premium and length of policy term under different representations of the claims distribution